Notation

- $\mathfrak{r}$ – the reaping number, xiii.
- G_{ω_1} – the family of intersections of ω_1 open subsets of a Polish space, xv.
- $E^+(A)$ – linear combinations of $A \subset \mathbb{R}$ with nonnegative rational coefficients, xvii.
- $\mathfrak{u}$ – xvii.
- $\mathfrak{i}$ – the independence number, xvii.
- $\mathbb{R}$ – the set of real numbers, xix.
- $\mathbb{Q}$ – the set of rational numbers, xix.
- $\mathbb{Z}$ – the set of integer numbers, xix.
- $\mathfrak{C}$ – the Cantor set 2^ω, xix.
- $\mathrm{Perf}(X)$ – all subsets of a Polish space X homeomorphic to $\mathfrak{C}$, xix.
- $\mathrm{cl}(A)$ – the closure of a subset A of a topological space X, xix.
- $\mathcal{C}(X)$ – the family of all continuous functions from X into $\mathbb{R}$, xix.
- $\mathrm{cof}(\mathcal{I})$ – the cofinality of an ideal $\mathcal{I}$, xix.
- $\mathrm{cov}(\mathcal{I})$ – the covering number of an ideal $\mathcal{I}$, xix.
- $\mathcal{N}$ – the ideal of Lebesgue measure zero subsets of $\mathbb{R}$, xix.
- $\mathcal{M}$ – the ideal of meager subsets of a Polish space, xx.
- s_0 – the ideal of Marczewski's s_0 subsets of a fixed Polish space, xx.
- $\mathcal{I}^+$ – coideal of the ideal $\mathcal{I}$ on X, $\mathcal{I}^+ = \mathcal{P}(X) \setminus \mathcal{I}$, xx.
- $\mathcal{F}_{\mathrm{cube}}$ – all continuous injections from a perfect cube $C \subset \mathfrak{C}^\omega$ onto a fixed Polish space X, 2.
- $\mathrm{dom}(f)$ – the domain of a function f, 2.
- $\mathrm{CPA}_{\mathrm{cube}}$ – 3.
- s_0^{cube} – 3.
- "D^1" – the class of all $f\colon \mathbb{R} \to \mathbb{R}$ having a finite or infinite derivative at every point, 5.
- (T_2) – the class of all $f\colon \mathbb{R} \to \mathbb{R}$ satisfying Banach condition T_2, 5.

- Σ^1_1, Π^1_1, Σ^1_2, Π^1_2 – initial classes of projective hierarchy, starting with classes of analytic and co-analytic sets, 8.
- $\mathcal{C}_H$ – the family of all sets $\prod_{n<\omega} T_n$ such that $T_n \in [\omega]^{\leq n}$ for all $n < \omega$, 11.
- $\mathcal{B}_1$ – the family of all Baire class 1 functions $f\colon \mathbb{R} \to \mathbb{R}$, 10.
- $\mathfrak{r}_\sigma$ – 16.
- $\mathfrak{d}$ – the dominating number, 24.
- $\mathcal{C}_{\rm cube}(X)$ – 31.
- $\mathcal{F}^*_{\rm cube}(X)$ – 31.
- $\mathrm{Perf}^*(X)$ – 31.
- $\mathrm{GAME}_{\rm cube}(X)$ – 31.
- $\mathrm{CPA}^{\rm game}_{\rm cube}$ – 32.
- $\mathfrak{a}$ – minimal cardinality of a maximal almost disjoint family $\mathcal{A} \subset [\omega]^\omega$, 34.
- $\Phi_{\rm prism}(A)$ – projection-keeping homeomorphisms, 49.
- $\mathbb{P}_A$ – iterated perfect sets in $\mathfrak{C}^A$, 50.
- $\mathcal{F}_{\rm prism}(X)$ – 50.
- $\mathcal{C}_{\rm prism}$ – 50.
- $\mathcal{F}^*_{\rm prism}$ – 50.
- $\mathrm{GAME}_{\rm prism}(X)$ – 51.
- $\mathrm{CPA}^{\rm game}_{\rm prism}$ – 51.
- $\mathrm{CPA}_{\rm prism}$ – 52.
- π_β – projection from $\mathfrak{C}^\alpha$ onto $\mathfrak{C}^\beta$, 53.
- ρ – a standard metric on $\mathfrak{C}^\alpha$, 53.
- $B_\alpha(z,\varepsilon)$ – an open ball in $\mathfrak{C}^\alpha$ with center at z and radius ε, 53.
- $\mathcal{B}_\alpha$ – clopen subsets of $\mathfrak{C}^\alpha$, 53.
- $\mathrm{cl}_{\mathcal{F}}(A)$ – $\mathcal{F}$-closure of $A \subset X$, for a family $\mathcal{F}$ of finitary symmetric relations on X, 65.
- $\mathcal{F}_M$ – the collection of all possible projections along the set $M \subset X$ of the finitary symmetric relations on X from $\mathcal{F}$, 65.
- $s_0^{\rm prism}$ – 69.
- $\mathrm{add}(s_0)$ – the additivity of the ideal s_0, 72.
- $\mathrm{succ}_T(t)$ – is the set of all immediate successors of a node t in a tree T, 74.
- I^α – the α-th Fubini power of an ideal I, 74.
- $\mathrm{GAME}_{\rm prism}(\mathcal{X})$ – multiple spaces game, 88.
- $\mathrm{CPA}^{\rm game}_{\rm prism}(\mathcal{X})$ – 88.
- $D^n(X)$ – n times differentiable functions from X to $\mathbb{R}$, 91.
- $\mathcal{C}^n(X)$ – all functions $f \in D^n(X)$ with continuous n-th derivative, 91.
- $\mathcal{C}^\infty(X)$ – all infinitely many times differentiable functions from X into $\mathbb{R}$, 91.
- "$D^n(X)$", "$\mathcal{C}^n(X)$", "$\mathcal{C}^\infty(X)$" – 91.

- $\mathcal{C}^n_{\rm perf}$, $D^n_{\rm perf}$, $\mathcal{C}^\infty_{\rm perf}$, "$\mathcal{C}^\infty_{\rm perf}$" – 91.
- $\mathrm{cov}(\mathcal{A},\mathcal{F})$ – 94.
- $\mathrm{dec}(\mathcal{A},\mathcal{F})$ – 96.
- $\mathrm{IntTh}(\mathcal{A},\mathcal{F})$ – $\mathcal{A}$ and $\mathcal{F}$ satisfy the intersection theorem, 97.
- $\mathrm{LIN}(Z)$ – linear span of $Z\subset\mathbb{R}$ over $\mathbb{Q}$, 110.
- $\mathrm{GAME}^{\rm section}_{\rm prism}(X)$ – 143.
- Γ – $\{\alpha<\omega_2\colon \mathrm{cof}(\alpha)=\omega_1\}$, 143.
- CPA – the covering property axiom, 143.
- $\mathrm{CPA}^{\rm sec}_{\rm prism}$ – 144.
- $\mathrm{CPA}^{\rm sec}_{\rm cube}$ – 145.

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